

22/42

Wed. Oct. 17

①

- It has been a few days, but we were talking about ordering in solids $\rightarrow$ crystals
- Recall the lattice is a repeating set of points

$$\vec{R} = n_1 \vec{a}_1 + n_2 \vec{a}_2 + n_3 \vec{a}_3$$

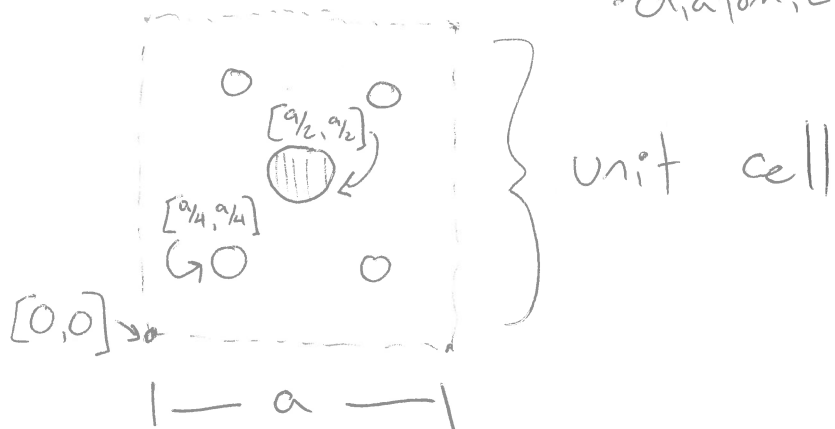
where $\vec{a}_1, \vec{a}_2, \vec{a}_3 \equiv$ primitive lattice vectors

- the Bravais lattice $\rightarrow$ all points are geometrically identical
- the unit cell is a building block which allows us to reconstruct the entire lattice when tiled
- primitive unit cell has just one lattice point
- we have not discussed the "basis" yet
- the basis relates the lattice to the actual atoms making up the solid

- Example of a basis in 2D

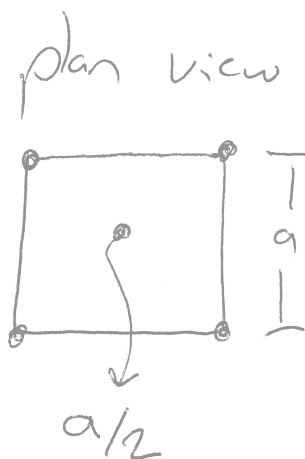
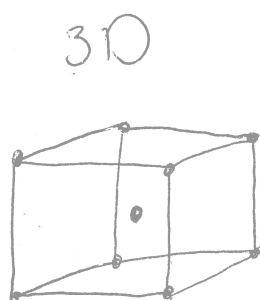
(2)

• diatomic solid



- Crystals in 3D:

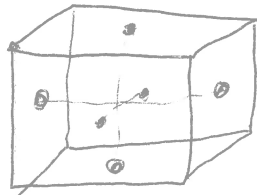
ex: body-centered cubic (bcc)



- one point in the center of the body, thus (bcc)

Ex: face-centered cubic (fcc)

- each face has a lattice point



- face points only points drawn

- both cells drawn are "conventional"
- primitive cells have only one lattice point
→ create using Wigner-Seitz method (see slides)

- We now take a closer look at the geometry of the reciprocal lattice

